

Marking Instructions for each question

| Question | | | Generic scheme | Illustrative scheme | Max mark |
|---|--|--|---|---|----------|
| 1. | | | <p style="text-align: center;">Method 1</p> <ul style="list-style-type: none"> •¹ start calculation correctly •² consistent answer in simplest form <p style="text-align: center;">Method 2</p> <ul style="list-style-type: none"> •¹ start calculation correctly •² consistent answer in simplest form | <p style="text-align: center;">Method 1</p> <ul style="list-style-type: none"> •¹ $\frac{4}{20} + \frac{15}{20}$ •² $\frac{19}{30}$ <p style="text-align: center;">Method 2</p> <ul style="list-style-type: none"> •¹ $\frac{2}{15} + \frac{6}{12}$ or $\frac{2}{15} + \frac{1}{2}$ •² $\frac{19}{30}$ | 2 |
| <p>Notes:</p> <p>1. Correct answer with no working award 0/2</p> <p>2. Final answer must be in simplest form eg for $\frac{38}{60}$ award 1/2 ✓✓2</p> <p>3. •² is only available where simplifying is required</p> <p>4. For subsequent incorrect working, •² is not available eg for $\frac{19}{30} = 1\frac{11}{30}$ award 1/2 ✓*</p> | | | | | |
| <p>Commonly Observed Responses:</p> <p>1. For an answer of $\frac{8}{27}$ obtained from</p> <p>(a) Method 1: $\frac{2}{3}\left(\frac{1}{5} + \frac{3}{4}\right) = \frac{2}{3} \times \frac{4}{9} = \frac{8}{27}$ award 0/2</p> <p>(b) Method 2: $\frac{2}{3}\left(\frac{1}{5} + \frac{3}{4}\right) = \frac{2}{15} + \frac{6}{12} = \frac{8}{27}$ award 1/2 ✓</p> | | | | | |

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|---|--|--|---|----------|
| 2. | | <ul style="list-style-type: none"> •¹ substitute into $x^3 - 2$ •² evaluate | <ul style="list-style-type: none"> •¹ $(-3)^3 - 2$ •² -29 | 2 |
| <p>Notes:</p> <p>1. Correct answer without working award 2/2</p> <p>2. Accept $-3^3 - 2$ for •¹</p> <p>3. For subsequent incorrect working •² is not available eg see COR 3(b)</p> | | | | |
| <p>Commonly Observed Responses:</p> <p>1. $(-3)^2 - 2 = 7$ award 0/2 x✓2</p> <p>2. (a) $(-3)^3 - 2 = 25$ award 1/2 ✓x (b) $3^3 - 2 = 25$ award 0/2 x✓2</p> <p>3. (a) $-3 = (-3)^3 - 2 \rightarrow -3 = -29$ award 2/2 (b) $-3 = (-3)^3 - 2 \rightarrow -3 = -29 \rightarrow x = -26$ award 1/2 ✓x</p> | | | | |
| 3. | | <ul style="list-style-type: none"> •¹ correct substitution into formula for volume of cone •² calculate volume (calculation must involve a product of at least four numbers including a fraction and 3.14) | <ul style="list-style-type: none"> •¹ $\frac{1}{3} \times 3.14 \times 10^2 \times 60$ •² 6280 (cm³) | 2 |
| <p>Notes:</p> <p>1. Correct answer without working award 0/2</p> | | | | |
| <p>Commonly Observed Responses:</p> <p>1. $\frac{1}{3} \times 3.14 \times 20^2 \times 60 = 25\ 120$ award 1/2 x✓1</p> <p>2. $\frac{1}{3} \times 3.14 \times 20 \times 60 = 1256$ award 1/2 x✓1</p> <p>3. $\frac{1}{3} \times 3.14 \times 10 \times 60 = 628$ award 1/2 x✓1</p> | | | | |

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|---|--|---|--|----------|
| 4. | | <ul style="list-style-type: none"> •¹ calculate size of angle COE or EDO or OED •² calculate size of angle OCE •³ calculate size of angle ACE | <ul style="list-style-type: none"> •¹ COE = 112 or EDO = 56 or OED = 56 •² OCE = 34 •³ ACE = 124 | 3 |
| <p>Notes:</p> <ol style="list-style-type: none"> 1. •¹ and •² may be awarded for information marked on the diagram. 2. Where information is not marked on the diagram then working must clearly attach calculations to named angles. 3. For the award of •³ the answer of 124 must be stated outwith the diagram or ACE clearly indicated with an arc and 124. 4. For an answer of 124 with no relevant working award 0/3 5. Degrees signs are not required | | | | |
| <p>Commonly Observed Responses:</p> | | | | |

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|--|-----|--|--|----------|
| 5. | (a) | <ul style="list-style-type: none"> •¹ correct bracket with square •² complete process consistently | <ul style="list-style-type: none"> •¹ $(x + 4)^2 \dots$ •² $(x + 4)^2 - 1$ | 2 |
| <p>Notes:</p> <p>1. Correct answer without working award 2/2</p> <p>2. Answer for •² must be consistent with •¹</p> <p>eg $(x - 4)^2 - 1$ award 1/2 x✓1</p> <p>$(x \pm 8)^2 - 49$ award 1/2 x✓1</p> <p>$(x \pm 8)^2 - 1$ award 0/2</p> | | | | |
| <p>Commonly Observed Responses:</p> <p>No working necessary</p> <p>1. Award 2/2 for (a) $(x + 4)^2 + -1$ or $(x + 4)^2 + (-1)$ (b) $(x + 4)(x + 4) - 1$</p> <p>2. Award 1/2 x✓1 for (a) $(x \pm 4) - 1$ (b) $(x^2 \pm 4) - 1$ (c) $(x^2 \pm 4)^2 - 1$ (d) $(x \pm 4x)^2 - 1$ (e) $(x^2 \pm 4x)^2 - 1$</p> | | | | |
| | (b) | • ³ state coordinates of turning point | • ³ $(-4, -1)$ | 1 |
| <p>Notes:</p> <p>1. Answer must be consistent with (a) unless candidate uses method in note 2</p> <p>2. Accept correct answer obtained by factorising, finding roots and using symmetry</p> <p>3. Accept $x = -4, y = -1$</p> <p>4. •³ is not available where brackets are omitted, unless answer is in the form shown in note 3</p> | | | | |
| <p>Commonly Observed Responses:</p> | | | | |

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| 6. | <p>Method 1: $y-b=m(x-a)$</p> <ul style="list-style-type: none"> •¹ calculate gradient •² substitute gradient and a point into $y-b=m(x-a)$ •³ determine the equation of the line in simplest form <p>Method 2: $y=mx+c$</p> <ul style="list-style-type: none"> •¹ calculate gradient •² substitute gradient and a point into $y=mx+c$ •³ determine the equation of the line in simplest form | <ul style="list-style-type: none"> •¹ -4 or equivalent •² eg $y-7=-4(x-(-5))$ •³ $y=-4x-13$ or equivalent <ul style="list-style-type: none"> •¹ -4 or equivalent •² eg $7=-4 \times (-5)+c$ •³ $y=-4x-13$ or equivalent | 3 |

Notes:

1. Correct answer without working

award 0/3

2. (a) Accept $-\frac{8}{2}$ for the award of •¹

(b) BEWARE •¹ is not available for $\frac{7-(-1)}{-5-(-3)} = \frac{-8}{2} = -\frac{8}{2}$ or $\frac{(-1)-7}{-3-(-5)} = \frac{8}{-2} = -\frac{8}{2}$

3. For an incorrect simplification of a gradient, a mark is not awarded at the point where the error occurs eg

(a) $-\frac{8}{2} = 4 \rightarrow 7 = 4 \times (-5) + c \rightarrow y = 4x + 27$

award 2/3 ~~x~~✓1✓1

(b) $-\frac{8}{2} \rightarrow 7 = 4 \times (-5) + c \rightarrow y = 4x + 27$

award 2/3 ✓~~x~~✓1

(c) $-\frac{8}{2} \rightarrow 7 = -\frac{8}{2} \times (-5) + c \rightarrow y = 4x + 27$

award 2/3 ✓✓~~x~~

Commonly Observed Responses:

Working must be shown.

1. $y = -\frac{4}{1}x - 13$

award 2/3 ✓✓~~x~~

| Question | | Generic scheme | Illustrative scheme | Max mark |
|--|-----|--|--|----------|
| 7. | | <ul style="list-style-type: none"> •¹ multiply by C^2 •² subtract 4 | <ul style="list-style-type: none"> •¹ $C^2D = B + 4$ •² $B = C^2D - 4$ or equivalent | 2 |
| Notes: 1. Correct answer without working award 0/2 2. BEWARE $D = \frac{B+4}{C^2} \rightarrow D - 4 = \frac{B}{C^2} \rightarrow C^2D - 4 = B$ award 0/2 3. For subsequent incorrect working, • ² is not available | | | | |
| Commonly Observed Responses: 1. $C^2 \times D = B + 4 \rightarrow B = C^2 \times D - 4$ award 2/2 2. $D = \frac{B+4}{C^2} \rightarrow D - 4 = \frac{B}{C^2} \rightarrow B = C^2(D-4)$ award 1/2 ✓1✗ 2. $\sqrt{C} \times D = B + 4 \rightarrow B = \sqrt{C} \times D - 4$ award 1/2 ✗✓1 | | | | |
| 8. | (a) | • ¹ state the value of a | • ¹ 3 | 1 |
| Notes: | | | | |
| | (b) | • ² state the value of b | • ² 8 | 1 |
| Notes: 1. For $(y=)3\sin 8x$ award 1/1 for (a) and 1/1 for (b) 2. For answers of $a = 8$ and $b = 3$ or $(y=)8\sin 3x$ award 0/1 ✗ for (a) and 1/1✓1 for (b) | | | | |
| Commonly Observed Responses: | | | | |

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|--|--|---|---|----------|
| 9. | | <ul style="list-style-type: none"> •¹ correct substitution into cosine rule •² calculate $\cos B$ in simplest form | <ul style="list-style-type: none"> •¹ $(\cos B =) \frac{3^2 + 7^2 - 5^2}{2 \times 3 \times 7}$ •² $\frac{11}{14}$ | 2 |
| <p>Notes:</p> <p>1. Correct answer without working award 0/2</p> <p>2. Accept $5^2 = 3^2 + 7^2 - 2 \times 3 \times 7 \times \cos B$ for •¹</p> <p>3. •² is only available where simplifying is required</p> | | | | |
| <p>Commonly Observed Responses:</p> <p>1. $\frac{3^2 + 7^2 - 5^2}{2 \times 3 \times 7} \rightarrow \frac{33}{42}$ award 1/2 ✓✓2</p> <p>2. $\frac{3^2 + 5^2 - 7^2}{2 \times 3 \times 5} \rightarrow -\frac{1}{2}$ award 1/2 ✗✓1</p> <p>3. $\frac{5^2 + 7^2 - 3^2}{2 \times 5 \times 7} \rightarrow \frac{13}{14}$ award 1/2 ✗✓1</p> | | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
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| 10. | | <ul style="list-style-type: none"> •¹ know that 70% = £16.10 •² begin valid strategy •³ complete calculation within valid strategy | <ul style="list-style-type: none"> •¹ 70% = £16.10 •² (10%=) $\frac{16.10}{7}$ or (1%=) $\frac{16.10}{70}$ or equivalent •³ (£)23 | 3 |
| Notes: | | | | |
| 1. Correct answer without working | | | award 0/3 | |
| 2. (a) 70% = £16.10 → 30% of 16.10 = 4.83 | | | award 1/3 ✓xx | |
| (b) 30% of 16.10 = 4.83 award 0/3 | | | | |
| 3. (a) 70% = £16.10 → 70% of 16.10 = 11.27 | | | award 1/3 ✓xx | |
| (b) 70% of 16.10 = 11.27 award 0/3 | | | | |
| 4. (a) 70% = £16.10 → 130% of 16.10 = 20.93 | | | award 1/3 ✓xx | |
| (b) 130% of 16.10 = 20.93 award 0/3 | | | | |
| Commonly Observed Responses: | | | | |
| 1. $\frac{16.1}{0.7} = 23$ | | | award 3/3 | |
| 2. (a) 30% = 16.10 → $\frac{16.1}{0.3} = 53.66$ or 53.67 | | | award 2/3 xx✓1✓1 | |
| (c) $\frac{16.1}{0.3} = 53.66$ or 53.67 | | | award 1/3 xx✓1 | |
| 3. (a) 130% = 16.10 → $\frac{16.1}{1.3} = 12.38$ | | | award 2/3 xx✓1✓1 | |
| (b) $\frac{16.1}{1.3} = 12.38$ | | | award 1/3 xx✓1 | |

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|--|--|---|---|----------|
| 11. | | <p>Method 1</p> <ul style="list-style-type: none"> •¹ apply $(m^a)^b = m^{ab}$ •² apply $m^a \times m^b = m^{a+b}$ •³ apply $m^{-a} = \frac{1}{m^a}$ <p>Method 2</p> <ul style="list-style-type: none"> •¹ apply $(m^a)^b = m^{ab}$ •² apply $m^{-a} = \frac{1}{m^a}$ •³ complete simplification <p>Method 3</p> <ul style="list-style-type: none"> •¹ apply $m^{-a} = \frac{1}{m^a}$ •² apply $\left(\frac{1}{m^a}\right)^b = \frac{1}{m^{ab}}$ •³ complete simplification | <p>Method 1</p> <ul style="list-style-type: none"> •¹ m^{-8} •² m^{-13} •³ $\frac{1}{m^{13}}$ <p>Method 2</p> <ul style="list-style-type: none"> •¹ m^{-8} •² $\frac{1}{m^8}$ or $\frac{1}{m^5}$ •³ $\frac{1}{m^{13}}$ <p>Method 3</p> <ul style="list-style-type: none"> •¹ $\left(\frac{1}{m^2}\right)^4$ or $\frac{1}{m^5}$ •² $\frac{1}{m^8}$ •³ $\frac{1}{m^{13}}$ | 3 |
| Notes: | | | | |
| 1. Correct answer without working | | | award 3/3 | |
| Commonly Observed Responses: | | | | |
| 1. $m^2 \times m^{-5} \rightarrow \frac{1}{m^3}$ | | | award 2/3 x ✓1✓1 | |
| 2. $m^8 \times m^{-5} \rightarrow m^3$ | | | award 1/3 x ✓1 x | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|--|---|---|----------|
| 12. | | <ul style="list-style-type: none"> •¹ start to divide fractions •² simplify | <ul style="list-style-type: none"> •¹ $\dots \times \frac{(x+2)^2}{5}$ •² $\frac{4(x+2)}{5}$ or $\frac{4x+8}{5}$ | 2 |

Notes:

1. Correct answer without working award 0/2

2. Accept $\frac{4}{5}(x+2)$ for the award of •²

3. •¹ is available for eg $\frac{4(x+2)^2}{(x+2)(x+2)^2} \div \frac{5(x+2)}{(x+2)^2(x+2)} \rightarrow \frac{4(x+2)^2}{(x+2)(x+2)^2} \times \frac{(x+2)^2(x+2)}{5(x+2)}$

4. For subsequent incorrect working, •² is not available

eg $\frac{4(x+2)}{5} = \frac{4x+2}{5}$

Commonly Observed Responses:

| | | | | |
|-----|--|--|--|---|
| 13. | | <ul style="list-style-type: none"> •¹ expand bracket •² express surd in simplest form •³ complete simplification | <ul style="list-style-type: none"> •¹ $\sqrt{100} - \sqrt{20} \dots$ •² $\dots 2\sqrt{5} \dots$ •³ $10 + 6\sqrt{5}$ | 3 |
|-----|--|--|--|---|

Notes:

1. Correct answer without working award 0/3

2. For the award of •¹ accept eg

(a) $\sqrt{10} \times \sqrt{10} - \sqrt{10} \times \sqrt{2}$

(b) $\sqrt{5}\sqrt{2}\sqrt{5}\sqrt{2} - \sqrt{5}\sqrt{2}\sqrt{2}$

2. •³ is **not** available for:

(a) a collection of terms which simplify to a single term

eg $\sqrt{80} - \sqrt{20} + 8\sqrt{5} \rightarrow 4\sqrt{5} - 2\sqrt{5} + 8\sqrt{5} \rightarrow 10\sqrt{5}$

award 1/3 ~~x~~✓✓2

(b) A collection of terms with only one surd term

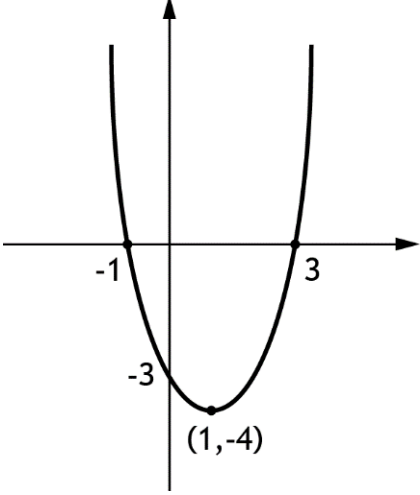
eg $\sqrt{100} - \sqrt{20} + 8\sqrt{5} \rightarrow 50 - 10 + 8\sqrt{5} \rightarrow 40 + 8\sqrt{5}$

award 1/3 ✓~~x~~✓2

4. For subsequent incorrect working, •³ is not available

Commonly Observed Responses:

1. $\sqrt{10}(\sqrt{10} - \sqrt{2}) + 8\sqrt{5} \rightarrow \sqrt{10}(\sqrt{8}) + 8\sqrt{5} \rightarrow 4\sqrt{5} + 8\sqrt{5} \rightarrow 12\sqrt{5}$ award 1/3 ~~x~~✓1✓2

| Question | Generic scheme | Illustrative scheme | Max mark |
|----------|--|--|----------|
| 14. | <ul style="list-style-type: none"> •¹ identify roots •² identify turning point OR y-intercept •³ identify turning point AND y-intercept and sketch a consistently annotated parabola | <ul style="list-style-type: none"> •¹ -1 AND 3 •² (1, -4) OR -3 •³ (1, -4) AND -3 and a consistently annotated parabola (see note 2)  | 3 |

Notes:

1. •¹ and •² may be awarded for roots, and turning point or y -intercept indicated on the graph (no additional working required)
2. •³ is only available where the roots, turning point **AND** y-intercept are clearly marked and consistently annotated on the sketch
3. Accept correctly calculated roots and/or y-intercept marked as (0, -1), (0, 3) **and** (-3, 0) as evidence for the award of •³ (treat as bad form)
4. •³ is not available if the graph is not a parabola
eg roots -3 and 1 → turning point (-1, 0) or y-intercept -3 award 1/3 ~~x~~✓1~~x~~

Commonly Observed Responses:

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|--|-----|--|------------------------------------|----------|
| 15. | (a) | • ¹ construct expression for area of triangle | • ¹ $\frac{3}{2}(x+12)$ | 1 |
| <p>Notes:</p> <p>1. Accept eg $\frac{1}{2} \times 3 \times (x+12)$, $\frac{1}{2} 3(x+12)$, $3(x+12) \div 2$, $1.5(x+12)$, $\frac{3(x+12)}{2}$</p> <p>2. For $\frac{1}{2} \times 3 \times x + 12$</p> <p>(a) accept as bad form if correct expansion appears in part (b)</p> <p>(b) do not accept otherwise</p> <p>3. Do not penalise subsequent incorrect expansion of bracket in part (a)</p> <p>eg (a) $\frac{3}{2}(x+12) = 3x + 18$ award 1/1</p> <p>(b) $3x + 18$ award 0/1</p> <p>4. If no expression appears in part (a), accept answer to part (a) written in part (b)</p> | | | | |
| <p>Commonly Observed Responses:</p> <p>1. $\frac{3}{2}(x+12) \sin C$ award 0/1</p> | | | | |

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| 15 | (b) | <ul style="list-style-type: none"> •² construct expression for area of rectangle and equate to area of triangle •³ start to solve equation •⁴ re-arrange equation •⁵ solve for x | <ul style="list-style-type: none"> •² $\frac{3}{2}(x+12) = 6(8-x)$ •³ $3(x+12) = 12(8-x)$ or $\frac{3}{2}x + 18 = 6(8-x)$ •⁴ $15x = 60$ or $7.5x = 30$ or equivalent •⁵ $x = 4$ | 4 |

Notes:

1. For guess and check award 0/4
2. •³ is not available if the expression for the area of the triangle does not include a fraction
eg for an answer of $3(x+12)$ in part (a):
 $3(x+12) = 6(8-x) \rightarrow 9x = 12 \rightarrow x = \frac{4}{3}$ award 3/4 ✓1×✓1✓1
3. Do not award •⁵ for a decimal approximation to a fraction.
However, do not penalise incorrect conversion to a mixed number or decimal approximation following a fraction answer (in its simplest form)
 - (a) $3(x+12) = 6(8-x) \rightarrow 9x = 12 \rightarrow x = 1.\dot{3}$ award 3/4 ✓1×✓1✓1
 - (b) $3(x+12) = 6(8-x) \rightarrow 9x = 12 \rightarrow x = \frac{4}{3} \rightarrow x = 1.33\dots$ award 3/4 ✓1×✓1✓1
 - (c) $3(x+12) = 6(8-x) \rightarrow 9x = 12 \rightarrow x = 1.33\dots$ award 2/4 ✓1×✓1✓2
4. If solution to part (a) contains $\sin C$, only •² and •³ are available:
eg $\frac{3}{2}(x+12)\sin C = 6(8-x) \rightarrow 3(x+12)\sin C = 12(8-x)$ award 2/4 ✓1✓1××
5. •⁵ is not available for division by a single digit leading to an integer answer
eg (a) $\dots \rightarrow 9x = 12 \rightarrow x = \frac{4}{3}$ award •⁵
(b) $\dots \rightarrow 6x = 48 \rightarrow x = 8$ do not award •⁵

Commonly Observed Responses:

[END OF MARKING INSTRUCTIONS]

Marking Instructions for each question

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|--|--|--|--|---|----------|
| 1 | | | <ul style="list-style-type: none"> •¹ start to expand •² complete expansion •³ collect like terms which must include a term in x^3 and a term with a negative coefficient | <ul style="list-style-type: none"> •¹ evidence of any 3 correct terms eg $6x^3 + 15x^2 - 3x$ •² $6x^3 + 15x^2 - 3x - 4x^2 - 10x + 2$ •³ $6x^3 + 11x^2 - 13x + 2$ | 3 |
| <p>Notes:</p> <p>1. Correct answer without working award 3/3</p> <p>2. For subsequent incorrect working •³ is not available</p> <p>3. Evidence for •¹ and •² may appear in a grid</p> | | | | | |
| <p>Commonly Observed Responses:</p> | | | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|--|--|--|----------|
| 2 | | <ul style="list-style-type: none"> •¹ know how to increase by 3% •² know how to calculate expected profit after 4 years •³ evaluate to nearest thousand pounds | <ul style="list-style-type: none"> •¹ $\times 1.03$ •² $215\,000 \times 1.03^4$ •³ (£) 242 000 | 3 |

Notes:

1. Correct answer without working award 3/3
2. Where an incorrect percentage is used, the working must be followed through to give the possibility of awarding 2/3
eg for $215\,000 \times 1.3^4 = 614\,000$ award 2/3 ~~x~~✓1✓1
3. Where an incorrect power (≥ 2) is used, the working must be followed through to give the possibility of awarding 2/3
eg $215\,000 \times 1.03^3 = 235\,000$ award 2/3 ~~x~~x✓1
4. Where division is used:
 - (a) along with 1.03 •¹ is not available
eg $215\,000 \div 1.03^4 = 191\,000$ award 2/3 ~~x~~✓1✓1
 - (b) along with an incorrect percentage, •¹ and •² are not available
eg $215\,000 \div 0.97^4 = 243\,000$ award 1/3 ~~x~~x✓1
5. Accept (£) 242 000.00 for the award of •³
6. Where intermediate calculations are shown, premature rounding must be to at least 4 significant figures

Commonly Observed Responses:

1. $215\,000 \times 1.03^4 = 241\,984(.39\dots)$ award 2/3 ✓✓✓2
2. $215\,000 \times 0.97^4 = 190\,000$ award 2/3 ~~x~~✓1✓1
3. $215\,000 \times 1.03 = 221\,000$ award 1/3 ✓x✓2
4. $215\,000 \times 1.03 \times 4 = 886\,000$ award 1/3 ✓x✓2
5. $215\,000 \times 0.03 = 6450 \rightarrow 215\,000 + 4 \times 6450 = 241\,000$ award 1/3 ✓x✓2
6. $215\,000 \times 0.03 \times 4 = 26\,000$ award 0/3 ~~x~~x✓2

| Question | | Generic scheme | Illustrative scheme | Max mark |
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| 3. | | <ul style="list-style-type: none"> •¹ correct substitution into volume of sphere formula •² correct substitution into volume of cuboid formula and add to volume of sphere •³ consistent calculation (see note 5) and state correct units in final answer | <ul style="list-style-type: none"> •¹ $\frac{4}{3} \times \pi \times 0.2^3$ •² volume of sphere + $0.48 \times 0.48 \times 2$ •³ $0.49(4\dots) \text{ m}^3$ | 3 |

Notes:

1. Correct answer without working award 0/3
2. Accept variations in π
3. $\frac{4}{3} \times \pi \times 20^3 + 48 \times 48 \times 200 = 494310\dots \text{cm}^3$ award 3/3
4. (a) $\frac{4}{3} \times \pi \times 0.2^3 + 0.48 \times 0.48 \times 2 \rightarrow 0.49(4\dots) \text{m}^3 = 49.4 \text{cm}^3$ award 3/3
- (b) $\frac{4}{3} \times \pi \times 0.2^3 + 0.48 \times 0.48 \times 2 \rightarrow 0.49(4\dots) = 49.4 \text{cm}^3$ award 2/3 ✓✓x
5. For the award of •³ the calculation must involve the sum or difference of a calculation involving a fraction, π and a power, and a calculation of a product of at least two numbers
- eg $\frac{4}{3} \times \pi \times 0.2^3 + 0.48 \times 2 = 0.99(35\dots) \text{m}^3$ award 2/3 ✓x✓1

Commonly Observed Responses:

1. $\frac{4}{3} \times \pi \times 0.4^3 + 0.48 \times 0.48 \times 2 = 0.728\dots \text{m}^3$ or 0.73m^3 award 2/3 x✓1✓1
2. $\frac{4}{3} \times \pi \times 0.2^3 + 0.48 \times 0.48 \times 2.4 = 0.586\dots \text{m}^3$ or 0.59m^3 award 2/3 ✓x✓1
3. $\frac{4}{3} \times \pi \times 0.2^2 + 0.48 \times 0.48 \times 2 = 0.628\dots \text{m}^3$ or 0.63m^3 award 2/3 x✓✓1
4. $\frac{4}{3} \times \pi \times 0.4^3 + 0.48 \times 0.48 \times 2.4 = 0.82\dots \text{m}^3$ award 1/3 xx✓1
5. $0.48 \times 0.48 \times 2 = 0.46(08) \text{ m}^3$ award 0/3 ^xx

| Question | | Generic scheme | Illustrative scheme | Max mark |
|---|-----|-----------------------------------|------------------------------------|----------|
| 4 | (a) | • ¹ construct equation | • ¹ eg $4m + 3a = 4.25$ | 1 |
| Notes: 1. Accept $4m + 3a = 425$ 2. Accept $4m + 3a = 425p$ or $4m + 3a = £4.25$ as bad form 3. If part (a) is not attempted or the answer is incomplete, accept correct answer to part (a) which appears in parts (b) or (c) | | | | |
| Commonly Observed Responses: | | | | |
| | (b) | • ² construct equation | • ² eg $5m + 2a = 4.70$ | 1 |
| Notes: 1. Accept $5m + 2a = 470$ when consistent with answer to part (a) 2. Accept $5m + 2a = 470p$ or $5m + 2a = £4.70$ as bad form 3. If part (b) is not attempted or the answer is incomplete, accept correct answer to part (b) which appears in parts (a) or (c) | | | | |
| Commonly Observed Responses: | | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|-----|--|--|----------|
| 4. | (c) | <ul style="list-style-type: none"> •³ correct scaling •⁴ value for a or m •⁵ value for m or a •⁶ communicate answer with units | <ul style="list-style-type: none"> •³ eg $20m + 15a = 21.25$ $20m + 8a = 18.80$ or $8m + 6a = 8.50$ $15m + 6a = 14.10$ •⁴ $a = 0.35$ or $m = 0.8$ •⁵ $m = 0.8$ or $a = 0.35$ •⁶ mango = £0.80 or 80p apple = £0.35 or 35p | 4 |

Notes:

1. Correct answer without working award 0/4
2. For a solution obtained by guess and check award 0/4
3. (a) an earlier error, accept unrounded values or values rounded to the nearest penny for •⁴ and •⁵
 (b) •⁵ is available for an answer calculated from an unrounded value or value rounded to the nearest penny from •⁴
 (c) •⁶ is only available for values given to the nearest penny
4. •⁶ is not available if either a or m is negative
5. •⁶ is only available where a candidate calculates values for a and m , and a conclusion containing the words 'mango' and 'apple' along with the correct units in both cases
6. For •⁶ do not accept mango = £0.8 or mango = £0.80p, apple = £0.35p

Commonly Observed Responses:

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|-----|--|---|----------|
| 5. | (a) | <p>Method 1</p> <ul style="list-style-type: none"> •¹ calculate mean •² calculate $(x - \bar{x})^2$ •³ substitute into formula •⁴ calculate standard deviation <p>Method 2</p> <ul style="list-style-type: none"> •¹ calculate mean •² calculate $\sum x$ and $\sum x^2$ •³ substitute into formula •⁴ calculate standard deviation | <ul style="list-style-type: none"> •¹ 26 •² 9, 1, 4, 25, 16, 49, 16 •³ $\sqrt{\frac{120}{6}}$ •⁴ 4.47(2...) or 4.5 <ul style="list-style-type: none"> •¹ 26 •² 182, 4852 •³ $\sqrt{\frac{4852 - \frac{182^2}{7}}{6}}$ •⁴ 4.47(2...) or 4.5 | 4 |

Notes:

1. For 26 and 4.47(2...) or 4.5 without working award 1/4 ✓[^]✓[^]✓[^]2
2. (a) For 26 and $\frac{\sqrt{120}}{6} = 4.47(2...) \text{ or } 4.5$ award 4/4
- (b) For 26 and $\frac{\sqrt{120}}{6} = 1.8(2...)$ award 3/4 ✓✓*✓1
4. For the award of •⁴ accept an answer in simplified surd form eg $2\sqrt{5}$
5. If one x value is missing from list, do not award •²; however •³ may be awarded for consistent substitution into standard deviation formula with:
 - (a) 5 in the denominator (from number of values on written list)
 - (b) 6 in the denominator (from wording of the question)

Commonly Observed Responses:

1. (a) 26 and $\sqrt{\frac{120}{6}} = 4.47(2...) = 4.4$ award 4/4
- (b) 26 and $\sqrt{\frac{120}{6}} = 4.4$ award 3/4 ✓✓✓*x

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|-----|--|--|----------|
| 5. | (b) | <ul style="list-style-type: none"> •⁵ compare means •⁶ compare standard deviations | <ul style="list-style-type: none"> •⁵ eg on average the hockey team recorded a higher number of sit-ups •⁶ eg the hockey team's numbers of sit-ups were more consistent | 2 |

Notes:

1. Answers must be consistent with answer to part (a)
2. If standard deviation answer to part (a) is left in surd form, •⁶ can only be awarded if there is evidence that the comparison is based on two numbers in decimal format
3. Statements must involve reference to number of sit-ups **and** include netball team and/or hockey team
 - (a) Accept eg
 - on average the hockey team did more sit-ups
 - (b) Do not accept eg
 - the hockey team's sit-ups went up
 - on average the hockey team's **results/scores/data** were higher
 - the hockey team's **results/scores/data** were more consistent
4. For the award of •⁵
 - (a) Accept eg
 - the hockey team's average number of sit-ups was more
 - the average amount of sit-ups was more for the hockey team
 - (b) Do not accept eg
 - the hockey team had more sit-ups
 - the **mean** number of sit-ups was higher for the hockey team
 - the average number of sit-ups was **better** for the hockey team
5. For the award of •⁶
 - (a) Accept eg
 - the hockey team's numbers of sit-ups were less varied
 - the hockey team's numbers of sit-ups were less spread out
 - (b) Do not accept eg
 - the hockey team's sit-ups were less spread out
 - the hockey team was less varied
 - the hockey team's **standard deviation** was more consistent
 - the **range** of the hockey team's numbers of sit-ups was less

Commonly Observed Responses:

| Question | | Generic scheme | Illustrative scheme | Max mark |
|--|--|--|---|----------|
| 6. | | <ul style="list-style-type: none"> •¹ correct substitution into area of triangle formula •² calculate area | <ul style="list-style-type: none"> •¹ $\frac{1}{2} \times 25 \times 32 \times \sin 58$ •² 339(.21...) (cm²) | 2 |
| Notes: | | | | |
| 1. Correct answer without working | | | award 2/2 | |
| 2. For $25 \times 32 \times \sin 58 = 678(.438\dots)$ | | | award 1/2 | *✓1 |
| 3. Inappropriate use of RAD or GRAD should only be penalised once in Qu 6, 9 or 14 | | | | |
| (a) 397(.149...) [RAD] (no working necessary) | | | award 1/2 | ✓* |
| (b) 316(.062...) [GRAD] (no working necessary) | | | award 1/2 | ✓* |
| 4. Where cosine rule is used | | | award 0/2 | |
| Commonly Observed Responses: | | | | |
| 1. $\frac{1}{2} \times 25 \times 32 \times \sin 58 = \sqrt{339} \dots = 18.4\dots$ | | | award 1/2 | ✓✓2 |
| 2. $\frac{1}{2} \times 25 \times 32 \times 58 = 23\ 200$ | | | award 0/2 | |

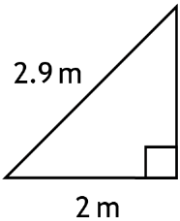
| Question | Generic scheme | Illustrative scheme | Max mark |
|----------|--|---|----------|
| 7. | <ul style="list-style-type: none"> •¹ correct substitution into quadratic formula •² evaluate discriminant •³ calculate both unrounded values of x or one value of x rounded to 2 significant figures •⁴ calculate both values of x rounded to 2 significant figures | <ul style="list-style-type: none"> •¹ $\frac{-2 \pm \sqrt{2^2 - 4 \times 4 \times (-7)}}{2 \times 4}$ •² 116 (stated or implied by •³) •³ 1.09(6...) and -1.59(6...) or 1.1 or -1.6 •⁴ 1.1 and -1.6 | 4 |

Notes:

1. Correct answer without working award 0/4
2. •² is available for $\frac{-1 \pm \sqrt{29}}{4}$
3. •³ is only available when $b^2 - 4ac > 0$
4. •⁴ is only available when both roots require rounding
5. •⁴ is not available if there is invalid subsequent working

Commonly Observed Responses:

1. $116 (b^2 - 4ac)$ award 1/4 ^v^^
2. $\frac{-2 \pm \sqrt{2^2 - 4 \times 4 \times (-7)}}{2 \times 4} \left(\rightarrow \frac{-2 \pm \sqrt{-108}}{2 \times 4} \right) \rightarrow \frac{-2 \pm \sqrt{108}}{2 \times 4} \rightarrow 1.0, -1.5$ award 2/4 vxxv1
3. $\frac{-2 \pm \sqrt{2^2 - 4 \times 4 \times 7}}{2 \times 4} \rightarrow \frac{-2 \pm \sqrt{-108}}{2 \times 4} \rightarrow \left(\frac{-2 \pm \sqrt{108}}{2 \times 4} \right) \rightarrow 1.0, -1.5$ award 2/4 xv1xv1
4. $\frac{-2 \pm \sqrt{2^2 - 4 \times 4 \times 7}}{2 \times 4} \rightarrow \frac{-2 \pm \sqrt{108}}{2 \times 4} \rightarrow 1.0, -1.5$ award 2/4 xxv1v1
5. (a) $-2 \pm \frac{\sqrt{2^2 - 4 \times 4 \times (-7)}}{2 \times 4} \rightarrow -2 \pm \frac{\sqrt{116}}{2 \times 4} \rightarrow 1.1, -1.6$ award 4/4
- (b) $-2 \pm \frac{\sqrt{2^2 - 4 \times 4 \times (-7)}}{2 \times 4} \rightarrow -2 \pm \frac{\sqrt{116}}{2 \times 4} \rightarrow -0.65, -3.3$ award 3/4 xv1v1
6. $\frac{-2 \pm \sqrt{2^2 - 4 \times 4 \times (-7)}}{2 \times 4} \rightarrow \frac{-2 \pm \sqrt{116}}{2 \times 4} \rightarrow -0.65(3...), -3.3(4...) \rightarrow -0.65, -3.3$ award 3/4 vxxv1

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|--|--|---|----------|
| 8. | | <ul style="list-style-type: none"> •¹ marshal facts and recognise right-angled triangle •² consistent Pythagoras statement •³ calculate third side •⁴ calculate height | <ul style="list-style-type: none"> •¹ •² $2.9^2 - 2^2$ •³ 2.1 •⁴ 5 (m)  | 4 |

Notes:

1. Correct answer without working award 0/4
2. In the absence of a diagram, accept $2.9^2 - 2^2$ as evidence for the awards of •¹ and •²
3. **BEWARE** where a diagram of a right-angled triangle is shown, working must be consistent with the diagram. •² is **not** available for an incorrect diagram leading to $2.9^2 - 2^2$
4. •² is available for a valid trig. method leading to the length of the third side
 - (a) award •² for eg $x = \cos^{-1}\left(\frac{2}{2.9}\right) \rightarrow 2 \tan x$ or $2.9 \sin x$
 - (b) do not award •² for eg $\cos^{-1}\left(\frac{2}{2.9}\right) = 46.3(9\dots)$
5. •⁴ is awarded for adding 2.9 to a value which has been calculated using Pythagoras' theorem or trigonometry
6. •¹ and •² are not available for:
 - (a) $4^2 - 2.9^2 \rightarrow 2.75\dots$; height = 5.65... award 2/4 xx✓1✓1
 - (b) $4^2 + 2.9^2 \rightarrow 4.94\dots$; height = 7.84... award 2/4 xx✓1✓1
7. Where a candidate assumes an angle of 45° in the right-angled triangle, only •¹ and •⁴ are available
8. Disregard errors due to premature rounding provided there is evidence

Commonly Observed Responses:

1. $2.9^2 + 2^2 \rightarrow 3.52\dots$; height = 6.42...
 - (a) working inconsistent with correct diagram award 3/4 ✓xx✓1✓1
 - (b) working consistent with candidate's diagram (cosine rule may be used to calculate third side) award 3/4 xx✓1✓1✓1
 - (c) no diagram award 2/4 xx✓1✓1

| Question | | Generic scheme | Illustrative scheme | Max mark |
|---|--|---|--|----------|
| 9. | | <ul style="list-style-type: none"> •¹ rearrange equation •² find first value of x •³ find second value of x | <ul style="list-style-type: none"> •¹ $\sin x = \frac{2}{3}$ •² 41.8(...) •³ 138.2 or 138.1(8...) | 3 |
| Notes: | | | | |
| 1. Correct answers without working award 1/3 ^^✓ | | | | |
| 2. Accept 42 and 138 with valid working | | | | |
| 3. Degree signs are not required | | | | |
| 4. Premature rounding: rounded working must be to at least 2 decimal places | | | | |
| eg (a) $\sin x = \frac{2}{3} = 0.67 \rightarrow x = 42(.06...), 138$ or 137.9(3...) award 3/3 | | | | |
| (b) $\sin x = \frac{2}{3} = 0.7 \rightarrow x = 44(.42...), 136$ or 135.5(7...) award 2/3 ✓x✓1 | | | | |
| 5. Inappropriate use of RAD or GRAD should only be penalised once in Q6, 9 or 14: | | | | |
| (a) 0.729..., 179.270... (RAD) | | | | |
| (b) 46.45..., 133.54... (GRAD) | | | | |
| 6. Where more than two final values are stated, • ³ is not available | | | | |
| eg 41.8(...), 138.1(8...) and 221.8(...) award 2/3 ✓✓x | | | | |
| Commonly Observed Responses: | | | | |
| 1. $\sin x = -\frac{2}{3} \rightarrow 221.8, 318.2$ award 2/3 x✓1✓1 | | | | |
| 2. $\sin x = -\frac{2}{3} \rightarrow 41.8, 138.2$ award 0/3 | | | | |
| 3. (a) $\sin x = \frac{2}{3} \rightarrow 36.8(6...), 143.1...$ award 2/3 ✓x✓1 | | | | |
| (b) $\sin x = 0.6 \rightarrow 36.8(6...), 143.1...$ award 2/3 x✓1✓1 | | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|--|---|--|----------|
| 10. | | <p>Method 1</p> <ul style="list-style-type: none"> •¹ expression for arc length •² know how to find angle •³ calculate angle <p>Method 2</p> <ul style="list-style-type: none"> •¹ arc length: circumference ratio •² know how to find angle •³ calculate angle | <ul style="list-style-type: none"> •¹ $\frac{\text{angle}}{360} \times \pi \times 30$ •² $\frac{69.4 \times 360}{\pi \times 30}$ •³ 265(.08...) <ul style="list-style-type: none"> •¹ $\frac{69.4}{\pi \times 30}$ (= 0.736...) •² $\frac{69.4 \times 360}{\pi \times 30}$ •³ 265(.08...) | 3 |

Notes:

1. Correct answer without working award 0/3
2. For guess and check •² and •³ are not available
eg $\frac{265}{360} \times \pi \times 30 = 69.4$ award 1/3 ✓✓2✓2
3. Accept variations in π
eg $\frac{69.4 \times 360}{\pi \times 30} \left(= \frac{69.4 \times 360}{3.14 \times 30} \right) = 265(.22\dots)$
4. Degrees signs not required
5. Premature rounding of $\frac{69.4}{\pi \times 30}$ must be to at least 2 decimal places
6. For the award of •³ the calculation must involve a division by a product. The calculation must include 69.4, π , 360 and the candidate's chosen diameter or radius.
7. For subsequent incorrect working, •³ is not available
eg $360 - 265 = 95$ award 2/3 ✓✓x

| Question | Generic scheme | Illustrative scheme | Max mark |
|---|----------------|---------------------|----------|
| 10. | (continued) | | |
| <p>Commonly Observed Responses:</p> <p>1. For $\frac{69.4 \times 360}{\pi \times 15} = 530$ award 2/3 x✓1✓1</p> <p>2. For $\frac{69.4 \times 360}{\pi \times 15^2} = 35.3(\dots)$ award 2/3 x✓1✓1</p> <p>3. (a) For $\frac{69.4}{360} \times \pi \times 30 = 18.1(\dots)$ award 0/3</p> <p>(b) For $\frac{\text{angle}}{360} \times \pi \times d \rightarrow \frac{69.4}{360} \times \pi \times 30 = 18.1(\dots)$ award 1/3 ✓xx</p> | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|--|--|---|----------|
| 11. | | <ul style="list-style-type: none"> •¹ start valid strategy for finding length of face diagonal •² continue valid strategy for finding length of space diagonal •³ calculate length of space diagonal | <ul style="list-style-type: none"> •¹ $24^2 + 6^2$ or $6^2 + 8^2$ or $24^2 + 8^2$ (stated or implied by •²) •² $24^2 + 6^2 + 8^2$ •³ 26 (cm) | 3 |

Notes:

1. Correct answer without working award 0/3
2. Accept •¹ $\begin{pmatrix} 24 \\ 6 \\ 8 \end{pmatrix} \rightarrow \bullet^2 24^2 + 6^2 + 8^2 \rightarrow \bullet^3 26$
3. Premature rounding: rounded working must be to at least 1 decimal place:
 - (a) $\sqrt{24^2+6^2} = 24.7\dots \rightarrow \sqrt{24.7^2+8^2} = 25.96\dots$ award 3/3
 - (b) $\sqrt{24^2+6^2} = 24.7\dots \rightarrow \sqrt{25^2+8^2} = 26(.2\dots)$ award 2/3 ✓✓✓2
4. Accept correct use of trigonometry.
Finding the size of an angle in a right-angled triangle is not sufficient for the award of •¹ or •²
5. For an invalid strategy involving the addition or subtraction of the lengths of two edges followed by a Pythagoras calculation
eg $24 + 6 = 30 \rightarrow \sqrt{30^2+8^2} = 31.0\dots$ award 0/3

Commonly Observed Responses:

1. $\sqrt{24^2+6^2} = 24.7\dots$ award 1/3 ✓^^
2. $\sqrt{24^2+8^2} = 25.2(9\dots)$ award 1/3 ✓^^
3. $\sqrt{6^2+8^2} = 10$ award 1/3 ✓^^

| Question | | Generic scheme | Illustrative scheme | Max mark |
|---|--|---|--|----------|
| 12. | | <ul style="list-style-type: none"> •¹ factorise numerator •² factorise denominator •³ express fraction in simplest form | <ul style="list-style-type: none"> •¹ $2a(b+3)$ •² $(b+3)(b-3)$ •³ $\frac{2a}{b-3}$ | 3 |
| <p>Notes:</p> <p>1. Correct answer without working award 0/3</p> <p>2. For the award of •³, only accept simplification consistent with candidate's factorising in •¹ and •²</p> <p>eg (a) $\frac{2a(b-3)}{(b-3)^2} = \frac{2a}{(b-3)}$ award 1/3 xx✓1</p> <p>(b) $\frac{2a(b+3)}{b^2-9} = \frac{2a(b+3)(b-3)}{(b-3)^2} = \frac{2a(b+3)}{(b-3)}$ award 1/3 ✓xx</p> <p>3. For subsequent incorrect working, the final mark is not available</p> | | | | |
| <p>Commonly Observed Responses:</p> | | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|--|--|---|--|----------|
| 13. | | <ul style="list-style-type: none"> •¹ express as separate fractions •² simplify | <ul style="list-style-type: none"> •¹ $\frac{\sin x}{\cos x} + \frac{2\cos x}{\cos x}$ •² $\tan x + 2$ | 2 |
| <p>Notes:</p> <p>1. Correct answer with no working award 2/2</p> <p>2. Degrees signs are not required</p> <p>3. •² is not available if there are any missing variables in the final answer</p> <p>eg (a) $\frac{\sin}{\cos} + \frac{2\cos}{\cos} = \tan x + 2$ award 2/2</p> <p>(b) $\frac{\sin}{\cos} + \frac{2\cos}{\cos} = \tan + 2$ award 1/2 ✓✓2</p> <p>4. •² is not available if there is invalid subsequent working</p> <p>5. Alternative acceptable strategy:</p> <p>eg •¹ $\left(\frac{\frac{o}{h} + 2\frac{a}{h}}{\frac{a}{h}} \right) = \frac{\frac{o}{h} + 2\frac{a}{h}}{\frac{a}{h}} = \frac{o}{h} + \frac{2a}{h}$</p> <p>•² $\left(\frac{o}{a} + 2\frac{a}{a} \right) \tan x + 2$</p> | | | | |
| <p>Commonly Observed Responses:</p> <p>1. $\frac{\sin x + 2\cos x}{\cos x} = \sin x + 2$ award 0/2</p> <p>2. (a) $\frac{\sin x + 2\cos x}{\cos x} \left(= \frac{\sin x}{\cos x} + 2\cos x \right) = \tan x + 2\cos x$ (trig identity) award 1/2 ✗✓1</p> <p>(b) $\frac{\sin x + 2\cos x}{\cos x} \left(= \frac{\sin x}{\cos x} + 2\cos x \right) = \tan + 2\cos x$ award 0/2 ✗^</p> <p>3. $\frac{\sin x}{\cos x} = \tan x$ award 0/2</p> | | | | |

| Question | | Generic scheme | Illustrative scheme | Max mark |
|----------|--|--|--|----------|
| 14. | | <p>Method 1</p> <ul style="list-style-type: none"> •¹ correct substitution into sine rule to calculate AC •² rearrange equation •³ calculate AC •⁴ valid strategy to calculate BC •⁵ calculate BC <p>Method 2</p> <ul style="list-style-type: none"> •¹ correct substitution into sine rule to calculate AD •² rearrange equation •³ calculate AD •⁴ valid strategy to calculate BD •⁵ calculate BC ie BD – 15 | <ul style="list-style-type: none"> •¹ $\frac{AC}{\sin 12} = \frac{15}{\sin 16}$ •² $\frac{15 \sin 12}{\sin 16}$ •³ AC = 11.3(...) •⁴ eg $\cos 28 = \frac{BC}{11.3\dots}$ or $\sin 62 = \frac{BC}{11.3\dots}$ •⁵ 9.99 (m) <ul style="list-style-type: none"> •¹ $\frac{AD}{\sin 152} = \frac{15}{\sin 16}$ •² $\frac{15 \sin 152}{\sin 16}$ •³ AD = 25.5(...) •⁴ eg $\cos 12 = \frac{BD}{25.5\dots}$ or $\sin 78 = \frac{BD}{25.5\dots}$ •⁵ 9.99 (m) | 5 |

| Question | Generic scheme | Illustrative scheme | Max mark |
|-----------------|----------------|---------------------|----------|
| 14. (continued) | | | |

Notes:

- Correct answer without working award 0/5
- Accept 10 with relevant working
- Where intermediate calculations are shown, disregard premature rounding provided:
 - trigonometric values are rounded to at least 3 decimal places
 - lengths are rounded to at least 1 decimal place
- For the award of \bullet^5 accept truncated or correctly rounded final answer
eg method 1 leading to $\cos 28 = \frac{BC}{11.3} \rightarrow 9.97$
- Where both AC and AD are calculated but one is calculated incorrectly, if there is
 - further working, then apply the MIs based on length used to calculate BC
 - no further working, disregard the incorrect length award 3/5 ✓✓✓^^
- Inappropriate use of GRAD or RAD should only be penalised once in Q6,9 or 14:
If already penalised, the following marks should be awarded:

| | GRAD | RAD |
|----------|---|--|
| Method 1 | AC = 11.3(...) → BC = 10.2(...) Award 5/5 | AC = 27.9(5...) → BC = ±26.9(...) Award 4/5 ✓✓✓✓✓2 (\bullet^5 is not available due to the negative length) |
| Method 2 | AD = 41.2(...) → BC = 40.5(5...) Award 5/5 | AD = ±48.6(...) → BC = 41.0(...) Award 3/5 ✓✓✓2✓✓2 (\bullet^3 and \bullet^5 are not available due to the negative length) |

Commonly Observed Responses:

- Method 2 leading to $\cos 12 = \frac{BD}{25.5...} \rightarrow 24.99$ award 4/5 ✓✓✓✓x
- Method 2 leading to $\cos 12 = \frac{BC}{25.5...} \rightarrow 24.99$ award 3/5 ✓✓✓xx

[END OF MARKING INSTRUCTIONS]